

Title

${\rm EG59XX}$ Individual Project in XXX Engineering

By

Morgiane, Ph.D., M.Eng. etc. STUDENT NUMBER

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Abstract

In this dissertation, I will discuss most efficient ways of teaching ${\rm IAT}_{\rm E}{\rm X}$ to PGTs students.

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Introduction

This chapter introduces the topic

1.1 Text in bold

1.1.1 Example of subsection

Hello world!

1.2 Text in Italic

Hello world!

1.3 Text in color

Hello world!

- Formatting text with Latex;
- Trying a few commands

Literature review

This chapter reviews existing literature

Surname	Name	Role
Macdonald	Callum	Chair
Durkacz	Kate	Treasurer
Ahmed	Shazia	Secretary
Davidson	Peter	Committee Member
Richard	Morgiane	Committee Member

Table 2.1: Members of the SMSN committee

Methodology

This chapter discusses methodology of the work

Figure 3.2 was borrowed from MathCentre and Table 2.1 was created after the SMSN website.

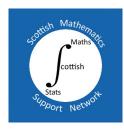


Figure 3.1: Scottish Maths Support Network Logo



Figure 3.2: Creative Common Symbol

Conclusions

Appendix A

Matlab code

Description of Matlab code

A.1 Matlab code to solve differential equation

```
1 | N = 10;
                             % Number of grid points
2 x = linspace(0,0.5*pi,N); % Setup the x grid
dx = x(2) - x(1);
                           % Set Delta x on a uniform grid Set Delta x
     on a uniform grid Set Delta x on a uniform grid Set Delta x on a
     uniform grid
4
5 y = zeros(N, 1);
                  % Pre-allocate the solution vector
6 | y(1) = exp(-1);
                  % Set the initial condition
7
8 for i = 1:N-1 % Loop over each point in the grid
9 xhalf = 0.5*(x(i) + x(i+1));
10 yhalf = y(i) + 0.5*dx*y(i)*sin(x(i));
11 y(i+1) = y(i) + dx*yhalf*sin(xhalf);
12 end
```